# Teacher packs in Experimental Science 

PHY Pack 8

## Determination of the density of solids

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Curriculum areas covered: Density and relative density

Title: Determination of the density of solids
Target group: Diploma in Basic Education Students
Also suitable for: B.Ed. Basic Education
Duration of Activity: 50 minutes plus discussion time

Learning outcomes: At the end of the lesson the student should be able to

| 1. Knowledge and Understanding <br> $(\mathbf{K N})$ | KN1 | Define density |
| :--- | :--- | :--- |
|  | KN2 | State the SI units of density |
| 3. Key Skills (KS) | Explain how the measuring cylinder is used <br> for measuring the volume of an irregular <br> object. |  |
|  | KS1 | Use the measuring cylinder to measure <br> volume. |
|  | KS2 | Identify the appropriate instrument for <br> measuring various quantities involved in <br> determining density. |
| 4. Practical Skills (PS) | KS3 | Determine the density of solid objects. |
|  | PS1 | Make and record observations/ measurements. |
|  | PS2 | Report results accurately. |

## A. Teacher's Guide

## Overview

Students are provided with a measuring cylinder, a solid object, lever balance, water, an irregular object whose density is to be determined. Ensure object does not dissolve in water and use a sinker, if necessary. Students need to prepare a table of observations in which their readings can be recorded. Since the volume of the object cannot be measured directly, students have to use the displacement method to determine the volume.

## Instructions

(i) Students should be working in small groups to determine the density of an irregular solid object.
(ii) Students should use the lever balance to find and record the mass (say m) of the irregular solid object.
(iii) Should pour water into the measuring cylinder to about a third of its depth
(iv) Students should record the initial volume of water in cylinder as $\mathrm{V}_{1}$
(v) Students should attach to the solid object a piece of thread
(vi) Students should lower solid object gently into the water to avoid splashing
(vii) Students should record final volume of the water plus the volume of the solid object as $\mathrm{V}_{2}$
(viii) Students can now empty the contents of the cylinder
(ix) Students should repeat procedures (i) to (viii) using different values of $V_{1}$
(x) Students should find the average value of $\left(V_{2}-V_{1}\right) \mathrm{cm}^{3}$
(xi) Students can now proceed to calculate the density by converting the volume in $\mathrm{cm}^{3}$ to $\mathrm{m}^{3}$ and the mass from g to kg .

## Reflection on the experiment

In place of the measuring cylinder, you can use an eureka can in the determination of the density.

## Sample Assessment Questions with Answers

1. Explain the term density. (KN1)

Answer: Density is regarded as the degree of compactness of a material or substance. If a body is very compact it has a higher density and when less compact it has a lower density. Density, $\rho$ can be defined as
$\rho=\frac{\text { mass of the substance }}{\text { volume of the substance }}=\frac{m}{V}$
2. How would you measure the volume of an irregular solid object by using a uniform graduated cylinder? (KS1)

Answer:
a. Pour water into the measuring cylinder to about a third of its depth
b. Record volume of water in cylinder, $\mathrm{V}_{1}$
c. Attach the object to a piece of thread
d. Lower solid gently into liquid, avoiding splashing
e. Record volume of the water plus solid, $\mathrm{V}_{2}$
f. The volume V of the object is given by

$$
\mathrm{V}=\mathrm{V}_{2}-\mathrm{V}_{1}
$$

3. If a "sinker" (a known weight with known volume used to hold down the floating solid) is attached to the irregular object, how would you determine the density of the irregular object? (KS2)

## Answer:

a. Find the mass of the object m and record it.
b. Pour water into the measuring cylinder about a third of its depth
c. Record volume of water in cylinder $\mathrm{V}_{1}$
d. Attach the object to the sinker on a piece of thread
e. Lower the object and sinker gently into liquid, avoiding splashing
f. Record the new volume $\mathrm{V}_{2}$
g. Let the volume of the sinker be $\mathrm{V}_{\mathrm{s}}$
h . The volume V of the object is given by

$$
V=V_{2}-V_{1}-V_{s}
$$

Therefore $\rho=\frac{\text { mass of the substance }}{\text { volume of the substance }}=\frac{m}{V}$
4. How would you improve the precision of your measurements? (PS1)

Answer: The eye direction should be horizontal to the figure to be read on the measuring cylinder.

## B. Student's Guide

Purpose/Aim: To determine the density of an irregular object (a solid material) using a measuring cylinder

## Background to Experiment

The experimental task is to determine the density of an irregular solid object. Since the volume of an irregular object cannot be determined directly we use indirect means by employing a measuring cylinder method (displacement method).

## Density

Density is regarded as the degree of compactness of a material or substance. If a body is very compact, it has a higher density and when less compact, it has a lower density. Density, $\rho$ can be defined as

$$
\rho=\frac{\text { mass of the substance }}{\text { volume of the substance }}=\frac{m}{V}
$$

## Units and standard Prefixes

In physics we sometimes deal with numbers that are very small and other times we deal with numbers which are very large. It gets cumbersome to write numbers in the conventional decimal notation. Once the fundamental units are defined, it now becomes easy to introduce larger and smaller units for the same physical quantities. In the metric system of measurement, additional units always relate to the fundamental units by multiples of 10 or $\frac{1}{10}$. The multiplicative factors are most conveniently expressed in exponential notation; thus $10000=10^{4}, \frac{1}{100}=10^{-2}$ etc. The names of the additional units are always derived by adding a prefix to the name of the fundamental units.

The following are a few examples of the use of the multiples of ten and their prefixes.

$$
\begin{aligned}
& 1 \text { nanometer }=1 \mathrm{~nm}=10^{-9} \mathrm{~m} \\
& 1 \text { micrometer }=1 \mu \mathrm{~m}=10^{-6} \mathrm{~m} \\
& 1 \text { millimeter }=1 \mathrm{~mm}=10^{-3} \mathrm{~m} \\
& 1 \text { centimeter }=1 \mathrm{~cm}=10^{-2} \mathrm{~m} \\
& 1 \text { kilometer }=1 \mathrm{~km}=10^{3} \mathrm{~m} \\
& 1 \text { milligram }=1 \mathrm{mg}=10^{-6} \mathrm{~kg} \\
& 1 \text { gram }=1 \mathrm{~g}=10^{-3} \mathrm{~kg} \\
& 1 \text { nanosecond }=1 \mathrm{~ns}=10^{-9} \mathrm{~s} \\
& 1 \text { microsecond }=1 \mu \mathrm{~s}=10^{-6} \mathrm{~s}
\end{aligned}
$$

Eg. To convert $1 \mathrm{~cm}^{3}$ to $\mathrm{m}^{3}$ you follow the steps below:
Given that: 1 centimeter $=1 \mathrm{~cm}=10^{-2} \mathrm{~m}$

$$
\begin{aligned}
& (1 \mathrm{~cm})^{3}=\left(10^{-2} \mathrm{~m}\right)^{3} \\
& \therefore 1 \mathrm{~cm}^{3}=10^{-6} \mathrm{~m}^{3}
\end{aligned}
$$

## SI standard units

By international agreement, a small number of physical quantities such as length, time and mass (called Fundamental quantities) have been assigned standard units. We can define all other physical quantities in terms of these fundamental quantities. The units of these fundamental quantities are standard units and are both accessible and invariable. The SI unit of density is the $\mathrm{kg} \mathrm{m}{ }^{-3}$ but in 'cgs' units density is measured in $\mathrm{g} / \mathrm{cm}^{3}$.
E.g. Convert $1 \mathrm{~g} / \mathrm{cm}^{3}$ to $\mathrm{kg} / \mathrm{m}^{3}$.

## Solution

$$
\begin{aligned}
& 1 \mathrm{~g}=10^{-3} \mathrm{~kg} \\
& 1 \mathrm{~cm}^{3}=10^{-6} \mathrm{~m}^{3} \\
& \Rightarrow 1 \frac{\mathrm{~g}}{\mathrm{~cm}^{3}}=\frac{10^{-3} \mathrm{~kg}}{10^{-6} \mathrm{~m}^{3}}=\frac{10^{3} \mathrm{~kg}}{\mathrm{~m}^{3}}=10^{3} \mathrm{~kg} / \mathrm{m}^{3}
\end{aligned}
$$

## Equipment/ Materials/Apparatus

Measuring cylinder, lever balance, water, an irregular object which does not dissolve in water and whose density is to be determined. A sinker should be used if necessary.


Figure 1 (a) initial level of water V1 (b) final level of water, V2 after immersion of object

## Other requirements

If the solid floats in water, a suitable "sinker" (a known weight to hold down the floating solid) of known volume must be attached to it.

## Procedure

(i) Find and record the mass, m, of the object.
(ii) Pour water into the measuring cylinder about a third of its depth
(iii) Record volume $V_{1}$, of water in cylinder
(iv) Attach the object to a piece of thread
(v) Lower solid gently into liquid, avoiding splashing
(vi) Record volume $\mathrm{V}_{2}$,of the water plus solid
(vii) Empty the contents of the cylinder
(viii) Repeat procedure (i) to (vii), using different values of $\mathrm{V}_{1}$

## Results and Calculations

Tabulate your results as shown Table 1 .
Table 1: Table of Results

|  | $\mathrm{V}_{1} / \mathrm{cm}^{3}$ | $\mathrm{~V}_{2} / \mathrm{cm}^{3}$ | $\left(\mathrm{~V}_{2}-\mathrm{V}_{1}\right) / \mathrm{cm}^{3}$ |
| :--- | :--- | :--- | :--- |
| $1^{\text {st }}$ recording |  |  |  |
| $2^{\text {nd }}$ recording |  |  |  |
| $3^{\text {rd }}$ recording |  |  |  |

Therefore average value of $\left(\mathrm{V}_{2}-\mathrm{V}_{1}\right) \mathrm{cm}^{3}=$ $\qquad$ $\mathrm{cm}^{3}$

## Theory

The volume of the displaced water $=\left(\mathrm{V}_{2}-\mathrm{V}_{1}\right) \mathrm{cm}^{3}$
Therefore the volume of the solid $=\left(\mathrm{V}_{2}-\mathrm{V}_{1}\right) \mathrm{cm}^{3}$
Mass of the solid = $\qquad$ (g)

$$
\text { density }=\frac{\text { mass }}{\text { volume }}
$$

Density of irregular solid $=\frac{\text { mass of } \text { solid } m(\mathrm{~g})}{\text { average value of }\left(V_{2}-V_{1}\right) \mathrm{cm}^{3}}$

## Conclusion

The density of the solid $=\ldots \ldots . \mathrm{kg} / \mathrm{m}^{3}$

## Reflection on the experiment

In place of the measuring cylinder, you can use an eureka can in the determination of the density.

## C. Assessment - Student's sheet

On completion of the experiment, you should answer the following questions:

1. Explain the term density. (KN1)
2. How would you measure the volume of an irregular solid object by using a uniform graduated cylinder?
(KS1)
$\square$
3. If a "sinker" (a known weight with known volume used to hold down the floating solid) is attached to the irregular object, how you would determine the density of the irregular object.
(KS2)
$\square$
4. How would you improve the precision of your measurements? (PS1)
$\square$

## D. References and Other Useful Links

1. Abbot A. F. (1980), Ordinary Level Physics, $3^{\text {rd }}$ Edition, Heinemann Books International, London.
2. Moss G. L. (1963), Ordinary Level Practical Physics, Heinemann Books International, London.
3. www.take_home.physics.org
